

Estimation of Principal Stratum Effects, an Overview and Potential Applications in Oncology

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on behalf of the causal subteam

Oncology Estimand Working Group

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Estimands in Oncology WG

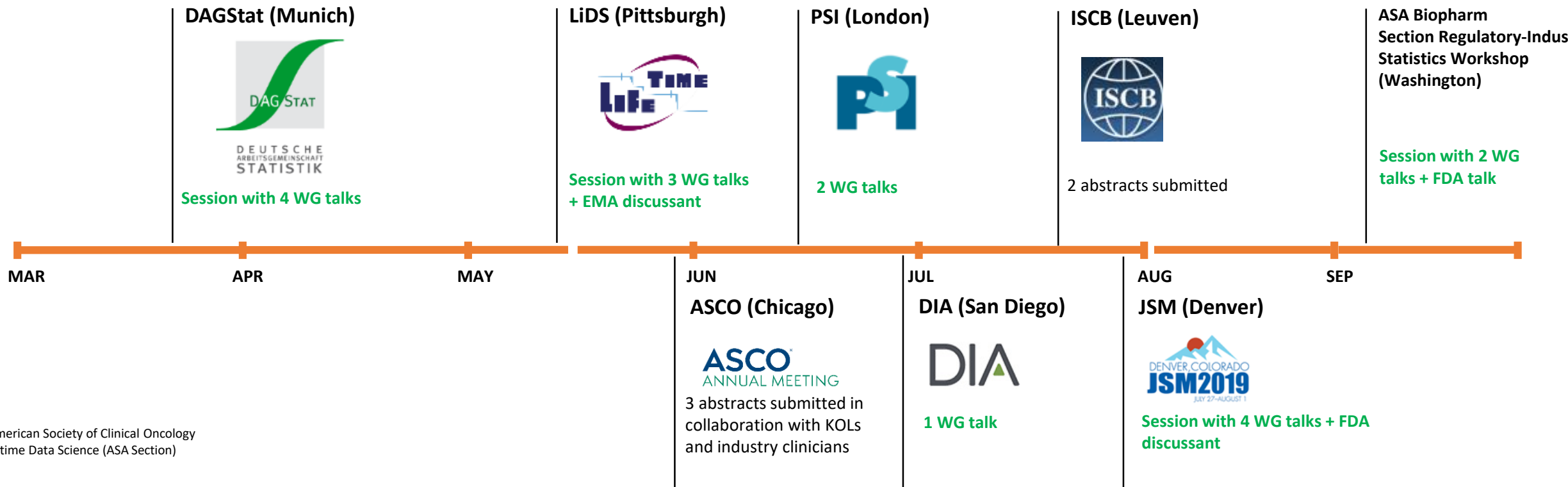
- initiated and led by Evgeny Degtyarev (Novartis) and Kaspar Rufibach (Roche), first TC Feb 2018
- main purpose: ensure common understanding and consistent definitions for key estimands in Oncology across industry
- 31 members (14 from Europe and 17 from US) representing 19 companies
- established as EFSPi SIG for Estimands in Oncology in Nov 2018
- close collaboration with regulators from EMA, FDA, China, Taiwan and Canada



Estimands in Oncology WG

Communication plan for 2019

- whitepaper(s) and presentations at statistical and clinical conferences
- plans to further engage with Clinical community beyond ASCO



Causal-Subteam

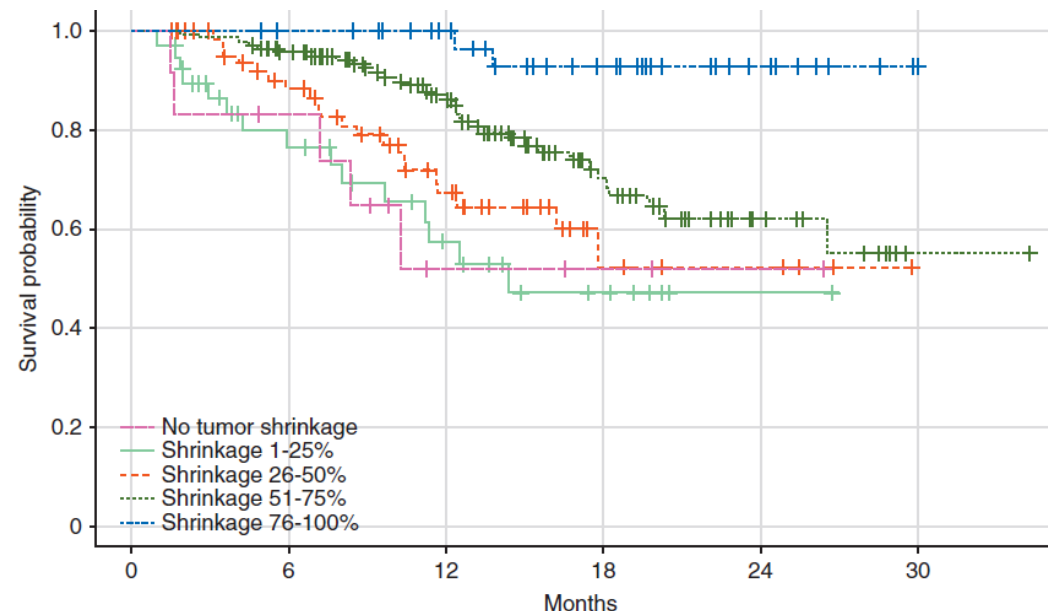
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- Andreas Brandt (BfARM)
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- Alan Phillips (ICON)
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- Anja Schiel (NoMA)
- An Vandebosch (Janssen)

Overview

- Clinical questions
- Estimation of principal stratum effects
- Criticisms
- Summary

Clinical questions

- Short term tumour shrinkage versus overall survival
 - Short term tumour shrinkage can be a good predictor of overall survival
- What is the treatment effect versus control (on overall survival) in patients that have a tumour shrinkage $< X\%$ at Y weeks if on the investigational treatment?



Clinical questions

- Biologic treatments and antidrug antibodies (ADA)
 - For biologic treatments (e.g. cancer immunotherapies) ADAs might form and may (or may not) have a neutralizing effect on the treatment
- What is the treatment effect versus control (e.g. on overall survival) in patients that develop ADAs if on the investigational treatment?
 - NB: The control might be a non-biologic drug (i.e. ADAs will not form)

Clinical questions

- Cancer prevention trial
 - Do patients that develop cancer (if on investigational treatment and if on control treatment) have a different cancer severity than if given the control treatment?
- Treatment switching
 - What is the treatment effect in patients that do not switch (if on investigational and if on control treatment)?

Clinical questions

- Commonality
 - Evaluate the treatment effect in the subgroup of patients where a specific post-randomization event would (or would not) occur
 - Challenge: Post-randomization event itself may be affected by treatment
 - Randomization cannot be relied upon to ensure comparable groups on investigational treatment and control → Selection bias

Clinical questions

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 - Challenge: Post-randomization event itself may be affected by treatment
 - Randomization cannot be relied upon to ensure comparable groups on investigational treatment and control → Selection bias
- Class of questions is quite frequent in oncology
 - See Section 7.6.5 of the EMA anticancer guidance on „Analyses based on a grouping of patients on an outcome of treatment“
 - Highlights problematic nature of naive analyses
 - Encourages search for „unexpected findings“ based on such exploratory analyses (by each treatment arm; not formally comparing arms due to non-randomized nature)

Principal Stratification Estimands

- Concept introduced in Frangakis & Rubin (2002)

- Conceptual idea: Potential outcomes
 $S(0)$ and $S(1)$ are unaffected by treatment
- Determine treatment effect in subset(s) (principal strata) of population defined by $S(0)$ and $S(1)$

S – occurrence of postbaseline event
 $S(0)$ – potential outcome control
 $S(1)$ – potential outcome treatment

- Can classify every patient in one of these four cells (= principal strata)

- E.g. S is tumour shrinkage $< X\%$ at Y weeks or presence of ADAs

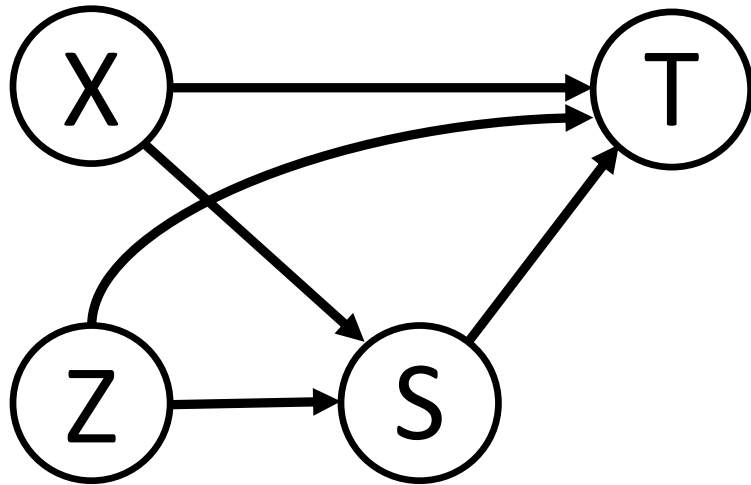
	$S(0) = 0$	$S(0) = 1$
$S(1) = 0$		
$S(1) = 1$		

- Note: One of $S(0)$ or $S(1)$ is observed for an individual patient the other unobserved

Principal Stratification Estimands

- By itself the principal stratum formulation does not provide a solution
 - Just a way of framing a particular problem
 - But: Provides a clear inferential target (treatment effect in principal strata)
 - Easier to discuss assumptions etc if inferential target is clear
- Determination of treatment effects in strata requires assumptions!
 - E.g. Principal stratum membership is not observed
- Let's illustrate with the ADA example in more detail

Consider ADA example in more detail



X – Baseline Characteristics
Z – Treatment
 Z=0 control, Z=1 treatment
S – Development of ADAs
T – Survival time

- Quantity of interest?
- Survival time distributions for patients under treatment and control **that develop ADAs, if taking treatment ($S(1) = 1$)**
- In potential outcome notation: Compare
 $T(1) \mid S(1) = 1$ versus $T(0) \mid S(1) = 1$

Potential outcomes
 $T(z)$ – Potential survival time
 $S(z)$ – ADA presence post-baseline

ADA example

- In potential outcome notation: Compare
 $T(1) \mid S(1) = 1$ versus $T(0) \mid S(1) = 1$
 - e.g. estimate survival functions $P(T(1) > t \mid S(1) = 1)$ and $P(T(0) > t \mid S(1) = 1)$ and derive a difference based on those

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 - e.g. estimate survival functions $P(T(1) > t \mid S(1) = 1)$ and $P(T(0) > t \mid S(1) = 1)$ and derive a difference based on those
- Rather easy to derive an estimate for $P(T(1) > t \mid S(1) = 1)$: This was observed on the treatment arm
- How to derive estimate of $P(T(0) > t \mid S(1) = 1)$?
 - Unclear whether patients on the control arm would have developed ADAs if given treatment
 - Even worse: No patient on control will develop ADAs (i.e. $S(0) = 0$ for all)
 - No one-size-fits-all solution in the Frangakis and Rubin (2002) paper

ADA example: Full Bayesian estimation

- We know that

$$p(T(0)) = \pi p(T(0) | S(1) = 1) + (1 - \pi) p(T(0) | S(1) = 0)$$

where $\pi = P(S(1) = 1)$ can be estimated from the treatment arm

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- Densities (or parameters describing the densities)
 - $p(T(0) | S(1) = 1)$ and $p(T(0) | S(1) = 0)$ are not identified based on the data
→ even for „infinite“ sample size, likelihood will not contract to a single point

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- Densities (or parameters describing the densities)
 - $p(T(0) | S(1) = 1)$ and $p(T(0) | S(1) = 0)$ are not identified based on the data
→ even for „infinite“ sample size, likelihood will not contract to a single point
- For a proper prior also the posterior will be proper
 - For some parameters more information might be available for others less
→ Need to evaluate impact of „weakly-informative“ priors carefully
 - See Magnussen et al. (2018) for a related approach/application

ADA example: Utilizing covariates

- Assume one can find all covariates X such that
 - Conditional on covariates X , $T(0)$ and $S(1)$ are independent: $T(0) \perp S(1) \mid X$
 - Principal ignorability, see Ding et al. 2017, Feller et al. 2017
 - If this is true the conditional distribution $p(T(0) \mid S(1), X) = p(T(0) \mid X)$

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- Estimation
 - $p(T(0) \mid X)$ can be estimated on the control group, and averaging with respect to $p(X \mid S(1) = 1)$ provides an estimate of $p(T(0) \mid S(1) = 1)$ (standardization)
 - Alternative estimation strategies
 - Build a model for $S(1) = 1$ on the treatment arm (depending on X), and multiply impute $S(1)$ for the control arm $\rightarrow$ Combine estimate with Rubin's rules
 - Matching on X and „standard“ analysis

ADA example: Utilizing covariates

- Case-specific whether one would be willing to make this assumption
 - Principal ignorability is an untestable assumption (independence assumption „across worlds“); sensitivity analyses possible, see Ding et al. (2017)
 - If $S(0)$ would be predictive of $S(1)$ further analyses/assumptions would be possible → in this case as $S(0) = 0$ for all patients

Criticisms

- **Complication: Benefit-risk analyses for principal strata**
 - Typical analysis strategies do not clearly identify the population of patients in the principal stratum. How to perform safety analyses?
- **Hernán & Scharfstein (2018)**
 - “... subgroup that cannot be clinically identified ...”
- **Scharfstein (2018)**
 - „... Principal stratification is scientifically interesting but just too assumption-laden to be primary ...“
 - “... Lowers the level of evidence. ...”
- **Also controversially discussed in the causal inference community**
 - See Pearl (2011) → Principal stratification overused

Summary

- Clinically relevant questions
 - Sometimes assumptions too strong to answer based on the data at hand
 - But: Incorrect (& potentially mis-leading) analyses are already performed for these questions → utilizing causal inference techniques will raise the level of discussion on the questions and possible assumptions
- Due to assumptions required for identification, the principal stratum strategy might not often be part of the primary estimand
- Could still be important to contribute to an “overall” picture of the drug’s properties

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